Complexity, Virtualization, and the Future of Cooperation

STEVE OMOHUNDRO, PH.D.

SELF-AWARE SYSTEMS

SELFAWARESYSTEMS.COM

Four Scientific Holy Grails

- Biology: Understand life, cure disease, and create life
- Neuroscience: Understand the brain
- Nanotechnology: Manipulate matter atomically
- Artificial Intelligence: Automate thought

Within the next few decades?



Will new technologies lead to greater:

Cooperation?



More's Utopia

or

Competition?



Girodet's Revolt of Cairo

Laws of Physics -> Competition for Resources

$$\mathcal{L}_{SM} = \mathcal{L}_{Dirac} + \mathcal{L}_{mass} + \mathcal{L}_{gauge} + \mathcal{L}_{gauge/\psi} . \tag{1}$$

Here.

$$\mathcal{L}_{\text{Dirac}} = i\bar{e}_{\text{L}}^{i}\partial\!\!\!/e_{\text{L}}^{i} + i\bar{\nu}_{\text{L}}^{i}\partial\!\!\!/\nu_{\text{L}}^{i} + i\bar{e}_{\text{R}}^{i}\partial\!\!\!/e_{\text{R}}^{i} + i\bar{u}_{\text{L}}^{i}\partial\!\!\!/u_{\text{L}}^{i} + i\bar{d}_{\text{L}}^{i}\partial\!\!\!/d_{\text{L}}^{i} + i\bar{u}_{\text{R}}^{i}\partial\!\!\!/u_{\text{R}}^{i} + i\bar{d}_{\text{R}}^{i}\partial\!\!\!/d_{\text{R}}^{i} ; \qquad (2)$$

$$\mathcal{L}_{\text{mass}} = -v \left(\lambda_e^i \bar{e}_L^i e_R^i + \lambda_u^i \bar{u}_L^i u_R^i + \lambda_d^i \bar{d}_L^i d_R^i + \text{h.c.} \right) - M_W^2 W_\mu^+ W^{-\mu} - \frac{M_W^2}{2 \cos^2 \theta_W} Z_\mu Z^\mu \; ; \tag{3}$$

$$\mathcal{L}_{\text{gauge}} = -\frac{1}{4} (G_{\mu\nu}^a)^2 - \frac{1}{2} W_{\mu\nu}^+ W^{-\mu\nu} - \frac{1}{4} Z_{\mu\nu} Z^{\mu\nu} - \frac{1}{4} F_{\mu\nu} F^{\mu\nu} + \mathcal{L}_{WZA} , \qquad (4)$$

where

$$G^{a}_{\mu\nu} = \partial_{\mu}A^{a}_{\nu} - \partial_{\nu}A^{a}_{\mu} - g_{3}f^{abc}A^{b}_{\mu}A^{c}_{\nu}$$
 $W^{\pm}_{\mu\nu} = \partial_{\mu}W^{\pm}_{\nu} - \partial_{\nu}W^{\pm}_{\mu}$
 $Z_{\mu\nu} = \partial_{\mu}Z_{\nu} - \partial_{\nu}Z_{\mu}$
 $F_{\mu\nu} = \partial_{\mu}A_{\nu} - \partial_{\nu}A_{\mu}$, (5

and

$$\mathcal{L}_{WZA} = ig_2 \cos \theta_{\mathcal{W}} \left[\left(W_{\mu}^{-} W_{\nu}^{+} - W_{\nu}^{-} W_{\mu}^{+} \right) \partial^{\mu} Z^{\nu} + W_{\mu\nu}^{+} W^{-\mu} Z^{\nu} - W_{\mu\nu}^{-} W^{+\mu} Z^{\nu} \right]$$

$$+ ie \left[\left(W_{\mu}^{-} W_{\nu}^{+} - W_{\nu}^{-} W_{\mu}^{+} \right) \partial^{\mu} A^{\nu} + W_{\mu\nu}^{+} W^{-\mu} A^{\nu} - W_{\mu\nu}^{-} W^{+\mu} A^{\nu} \right]$$

$$+ g_2^2 \cos^2 \theta_{\mathcal{W}} \left(W_{\mu}^{+} W_{\nu}^{-} Z^{\mu} Z^{\nu} - W_{\mu}^{+} W^{-\mu} Z_{\nu} Z^{\nu} \right)$$

$$+ g_2^2 \left(W_{\mu}^{+} W_{\nu}^{-} A^{\mu} A^{\nu} - W_{\mu}^{+} W^{-\mu} A_{\nu} A^{\nu} \right)$$

$$+ g_2 e \cos \theta_{\mathcal{W}} \left[W_{\mu}^{+} W_{\nu}^{-} \left(Z^{\mu} A^{\nu} + Z^{\nu} A^{\mu} \right) - 2 W_{\mu}^{+} W^{-\mu} Z_{\nu} A^{\nu} \right]$$

$$+ \frac{1}{2} g_2^2 \left(W_{\mu}^{+} W_{\nu}^{-} \right) \left(W^{+\mu} W^{-\nu} - W^{+\nu} W^{-\mu} \right) ;$$

and

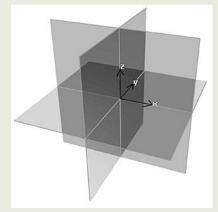
$$\mathcal{L}_{\text{gauge}/\psi} = -g_3 A_{\mu}^a J_{(3)}^{\mu a} - g_2 \left(W_{\mu}^+ J_{W^+}^{\mu} + W_{\mu}^- J_{W^-}^{\mu} + Z_{\mu} J_Z^{\mu} \right) - e A_{\mu} J_A^{\mu} , \qquad (7)$$

where

$$\begin{split} J_{(3)}^{\mu a} &= \bar{u}^i \gamma^{\mu} T_{(3)}^a u^i + \bar{d}^i \gamma^{\mu} T_{(3)}^a d^i \\ J_{W^+}^{\mu} &= \frac{1}{\sqrt{2}} \left(\bar{v}_L^i \gamma^{\mu} e_L^i + V^{ij} \bar{u}_L^i \gamma^{\mu} d_L^j \right) \\ J_{W^-}^{\mu} &= \left(J_{W^+}^{\mu} \right)^* \\ J_Z^{\mu} &= \frac{1}{\cos \theta_W} \left[\frac{1}{2} \bar{v}_L^i \gamma^{\mu} v_L^i + \left(-\frac{1}{2} + \sin^2 \theta_W \right) \bar{e}_L^i \gamma^{\mu} e_L^i + (\sin^2 \theta_W) \bar{e}_R^i \gamma^{\mu} e_R^i \right. \\ &\quad + \left(\frac{1}{2} - \frac{2}{3} \sin^2 \theta_W \right) \bar{u}_L^i \gamma^{\mu} u_L^i + \left(-\frac{2}{3} \sin^2 \theta_W \right) \bar{u}_R^i \gamma^{\mu} u_R^i \\ &\quad + \left(-\frac{1}{2} + \frac{1}{3} \sin^2 \theta_W \right) \bar{d}_L^i \gamma^{\mu} d_L^i + \left(\frac{1}{3} \sin^2 \theta_W \right) \bar{d}_R^i \gamma^{\mu} d_R^i \right] \\ J_A^{\mu} &= (-1) \bar{e}^i \gamma^{\mu} e^i + \left(\frac{2}{3} \right) \bar{u}^i \gamma^{\mu} u^i + \left(-\frac{1}{3} \right) \bar{d}^i \gamma^{\mu} d^i \; . \end{split}$$

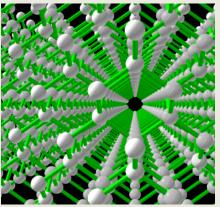
$$(8)$$

Space



Time





Matter



Free Energy

Synergies -> Cooperation





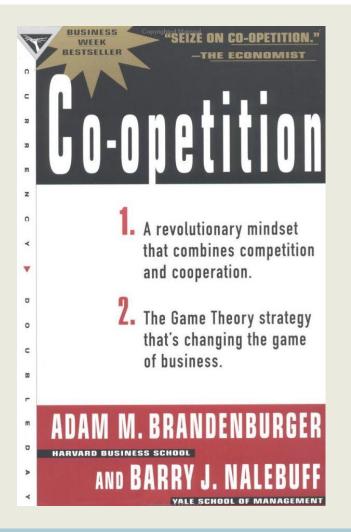


Complementary Needs
Cleaner fish and hammerheads



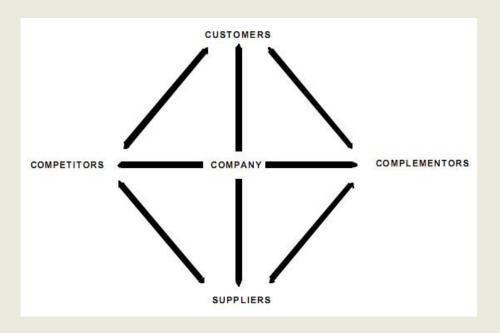
Complementary Abilities
Fungus and Algae in Lichen

Economies, Ecosystems, Social Networks



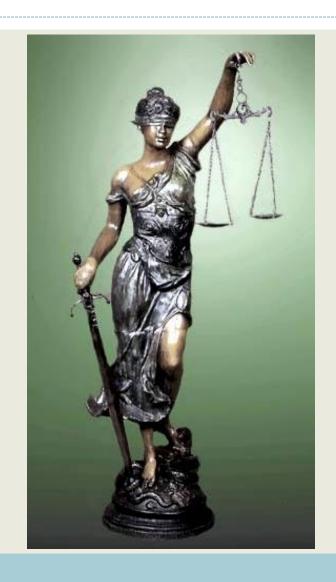
Complex webs of co-opetition

Cooperation in creating value Competition in dividing it up

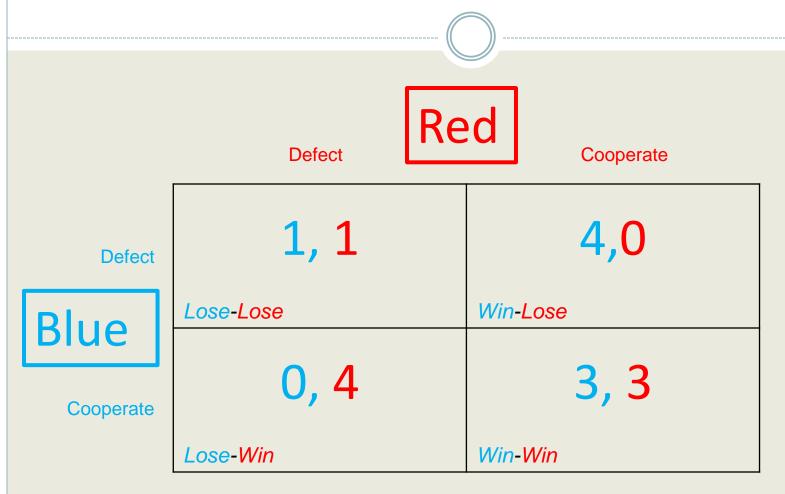


Human Morality and the Law

- Crimes against property: theft, extortion, arson, blackmail, burglary, embezzlement, larceny, robbery
- Crimes against persons:
 homicide, assault, battery, kidnapping,
 rape, mayhem
- Crimes against justice: perjury, malfeasance, compounding
- Crimes against nature: genocide, war, torture, slavery, pollution, environmental destruction, extinction



Prisoner's Dilemma (1950)



Dilemma: Best strategy is for both to defect, even though both do better when they cooperate.

Prisoners' Dilemma Extensions

Basic Dilemma:

defect cooperate P,P T,S S,T R,R

where: Temptation > Reward > Punishment > Sucker (and later 2R>T+S)

- Asymmetry between player's payoffs
- More choices for each player
- Repeated play
- More players "tragedy of the commons", depleting scarce resources, polluting, volunteer dilemma, vaccine dilemma, "free-rider" problems

Social Dilemmas

Situations which reward individual actions which lead to negative outcomes for everybody.



Fully Rational Iterated Prisoners' Dilemma

- Fully rational agents playing N iterations always defect
- Why?
- On move N, it's the one-shot game, so both defect.
- On move N-1, defect because you know move N.
-
- On move 1, both defect.
- TRAGEDY!

But human players don't always defect!

(40% cooperated in one study)

Evolutionary Game Theory

- Populations of agents
- Randomly play one another
- Winners reproduce more
- Irrational play can thrive against even worse players

- Axelrod ran contests in the 80's between programs
- Winner was often "Tit-For-Tat":

Cooperate, then copy opponent's previous move

Rational Response to Tit-For-Tat

- Act like Tit-For-Tat but defect on the last move
- Best response to that: defect on 2nd to last move
- ...
- Defect always. TRAGEDY!
- But what if computationally limited?
- Less than N internal states?
- Then best response to TFT is TFT! COOPERATION!

Neyman's Theorem

- Two finite automata with k states playing for N iterations
- If k<N, then get full cooperation with Tit-For-Tat
- If k<Nⁿ, then can get almost full cooperative reward as N gets large.
- Create N^m/2m log N sequences of length 2m log N that serve as "calling cards"
- Strategy is to randomly pick a calling card, send its index, then the card. If the opponent also sends the card then cooperate forever after, else defect forever.
- Uses up their memory so they can't defect!

Real Computers

- Real computers are finite automata
- But number of states isn't a good complexity measure
- Real machines store n bits -> 2ⁿ states
- But need computation to compute state transitions
- A reasonable model is to charge for memory and computation
- Then the cost of the counter to beat Tit-For-Tat isn't worth the gain of cheating at the last step!
- So Tit-For-Tat is the dominant strategy! COOPERATION!

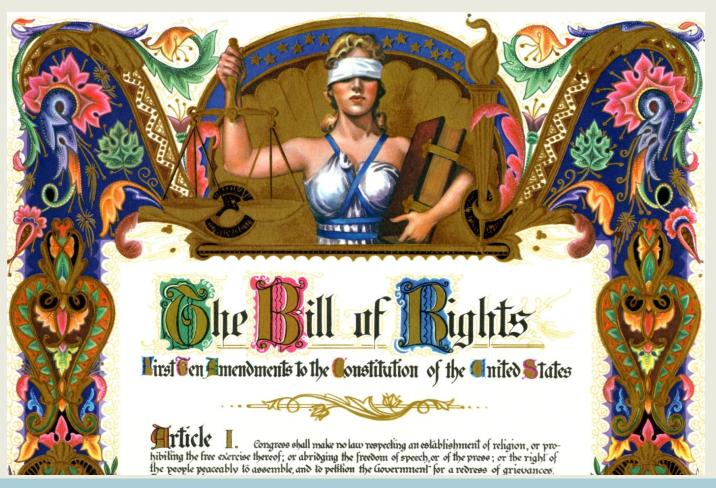
Computational Asymmetry

- Assuming P!=NP: fundamental computational asymmetry between posing problems and solving them
- Weaker agent can pose a random problem and only cooperate if the stronger one solves it (cheap to check)
- The weaker system can force the stronger opponent to use up its computational resources

Cooperation by Contract



Requires a powerful enforcement agency



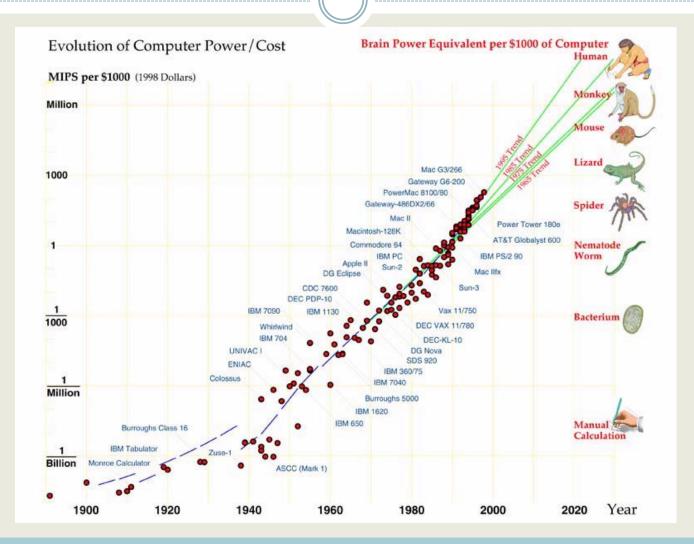
"Transparent" Prisoner's Dilemma

- Players choose "proxy" programs to play
- What if each side can see the other's program?
- But really want each program to see the other's program
- Philosophical difficulties: halting problem, etc.
- Proof checker version: Each side provides program and proof of cooperation if other does, program checks the other's proof (cheap!), then executes

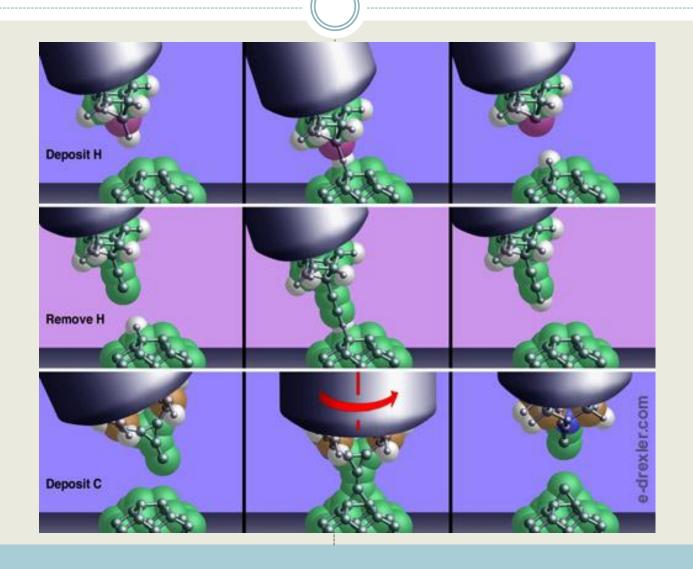
Lessons for Real Systems

- Conflict can cause creation of complexity
- More powerful agents create more complexity
- Computational resources used up by the conflict
- A kind of "virtual world" is created
- Weaker agents can hold their own against stronger ones within certain bounds
- May be able to create contractual regimes with provable enforcement

Moore's Law



Atomically Precise Construction

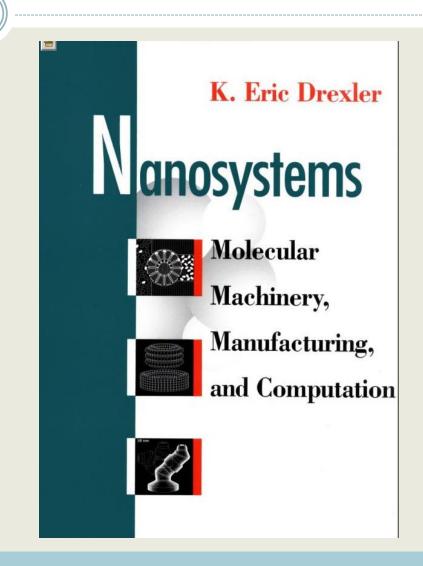


Mechanical Diamondoid Nanosystems

- Manufacturing: 1kg device,
 1.3 kW air cooled,
 produce 1 kg/hr for \$1/kg
- Computation:Gigaflop machine:

 $(400nm)^3 10^{-16} kg 60nW$ 10¹⁰ of these processors:

 $(1mm)^3$ $10^{-3} g$ 1kW



Eutactic Systems and Virtualization

These designs are "Eutactic"

Each atom and bond is precise - digital

- No stray atoms!
- Robust redundant designs
- Operation breaks and makes precise bonds
- Matter becomes computational!
- The ultimate virtualization
- The physical and the computational are indistinguishable

Pressures towards Virtualization

- Much cheaper to move bits than atoms
- Telepresence
- Virtual worlds
- But why even do the graphics?
- Pressure to simulate deeper and deeper into the cognitive system



- Economic pressures: marketers want to decommodify
- Eg. The Nike brand is a virtual story beyond the shoes

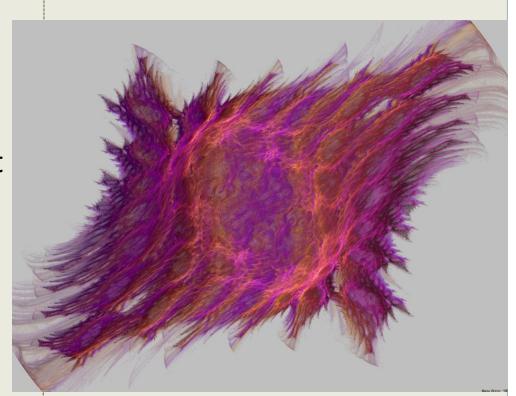
Physical Conflict Becomes Informational

- "Owning" atoms or free energy knowing where they are and having physical infrastructure to influence them
- Attacks require hidden information or exploitation of structure
- Eg. Shot by a projectile: if the defender detects it and can respond, he stores the free energy and the matter and says "Thank you!" – Not an attack! A gift!



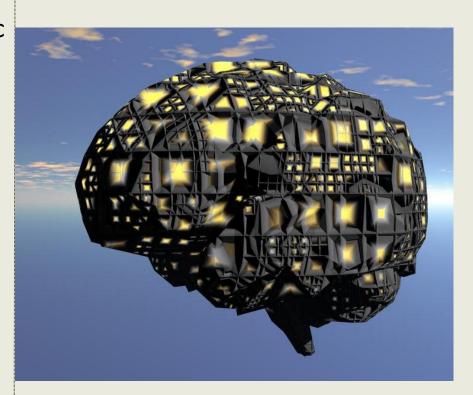
Energy Encryption

- Free energy is only useful because it has low entropy to you
- You can do useful work because you know where it is and its form
- Pseudorandomly mix up your energy and it appears high entropy to an attacker
- With the right key you can unlock it, but he can't



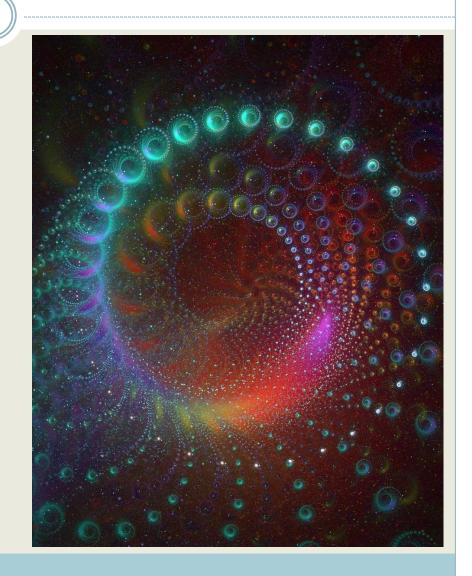
Engineering Pressures on a Single System

- Efficient energy use (slow adiabatic changes)
- Mostly eutactic design (each atom and bond precise)
- Spatially compact (low latency)
- Low energy computation (mostly reversible)
- Low redundancy (efficiency)
- Transparent encodings
- Efficient physical change
- Efficient heat dissipation
- Very vulnerable in conflict!



Informational Defense

- Game-theoretic physics
- Defender makes his physical form expensive to sense and store
- Makes his actions unpredictable and rapid
- Uses asymmetry of computation so it's cheap for him
- Uses up attacker's computational and memory resources – non-adiabatic



Mutually Assured Distraction



Rational Peace

- Conflict wastes both sides resources
- Motivates creating a peaceful regime
- Use revelation of source code with proofs to create provable peace
- Provably limited surveillance
- Safe mutual infrastructure
- Constitution guaranteeing rights

